Zbl 621.10041

Erdős, Paul; Sárközy, A.

Problems and results on additive properties of general sequences. II. (In En-

Acta Math. Hung. 48, 201-211 (1986). [0236-5294]

Let $a_1 < a_2 < \dots$ be an infinite sequence of positive integers and R(n) be the number of solutions of $a_i + a_j = n$. In part I [Pac. J. Math. 118, 347-357] (1985; Zbl 569.10032)] the authors proved that R(n) cannot be too regular in the sense $R(n) = F(n) + o(\sqrt{F(n)})$ cannot hold for "nice" functions F(n). In part II a probabilistic construction is presented to show that the above result is essentially best possible.

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Classification:

11B13 Additive bases

11B83 Special sequences of integers and polynomials

11K65 Arithmetic functions (probabilistic number theory)

00A07 Problem books

Keywords:

additive representations of integers; infinite sequence; number of solutions